A facial feature tracker for human-computer interaction based on 3D TOF cameras

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Abstract: We describe a facial feature tracker based on the combined range and amplitude data provided by a 3D time-of-flight camera. We use this tracker to implement a head mouse, an alternative input device for people who have limited use of their hands.

The facial feature tracker is based on geometric features that are related to the intrinsic dimensionality of multidimensional signals. We show how the position of the nose in the image can be determined robustly using a very simple bounding-box classifier, trained on a set of labelled sample images. Despite its simplicity, the classifier generalizes well to subjects that it was not trained on. An important result is that the combination of range and amplitude data dramatically improves robustness compared to a single type of data.

The tracker runs in real time at around 30 frames per second. We demonstrate its potential as an input device by using it to control Dasher, an alternative text input tool.

Keywords: 3D time-of-flight camera; facial feature tracking; head tracking; head mouse; geometric features; alternative and augmentative communication (AAC).

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1 Introduction

In the last decade, a novel type of image sensor – the 3D time-of-flight (TOF) camera – has been developed [5, 6, 8, 10]. This camera fuses the acquisition of both intensity and range data into a single device at a relatively low cost; the future pricing of such cameras is expected to be in the range of standard webcams. A 3D TOF camera works by emitting modulated infrared light; the phase shift of the reflected light provides a range measurement, and the amplitude, which depends on the reflectivity of the object, provides a conventional intensity image.

In this paper, we use a 3D TOF camera to implement a facial feature tracker and show how this tracker can be used as an alternative means of controlling a mouse cursor.

In contrast to conventional cameras, 3D TOF cameras have the obvious benefit of providing information about the three-dimensional structure of the scene. Computer vision applications that use this information can reasonably be expected to be more robust than if they used only a conventional intensity image, because geometric structure is typically more invariant than appearance.

Indeed, our tracker performs better on 3D TOF data than on intensity data alone. However, beyond this we have observed an interesting phenomenon in our results: It is not the range data by itself that improves the robustness of the results but rather the combination of range and intensity data; while both types of data perform roughly the same when used individually, the combination of the two yields substantially better results than either type of data alone. We intend to investigate whether this effect also occurs for other applications.

Previous work has already identified the nose as an important facial feature for tracking, see for example [3] and [11]. The first approach determines the location of the nose by template matching and gives very robust results under fixed lighting and at a fixed distance of the user from the camera. The second approach works by fitting a geometrical model of the nose to the image data.

We also consider the nose as being well suited for head tracking because, in terms of differential geometry, the tip of the nose is the point of maximal curvature on the surface of the face. Gaussian curvature would therefore seem to be a good choice as an image feature for tracking the nose, but it has the disadvantage that it is based on first and second order derivatives, which are sensitive to noise. We propose alternative features that can be related to generalized differential operators. In
previous work [4], we describe a nose detector based on these features that achieves good error rates using a simple threshold-based classifier. The nose detector described previously [4] was a Matlab implementation that did not run in real time. In this paper, we describe a real-time C++ implementation of the nose detector, which we then use as the basis for a nose tracker. Because of the low error rate of the detector, the tracker requires only simple post-processing and tracking algorithms. We envisage that this type of tracker can be used for human-computer interaction and, particularly, for Augmentative and Alternative Communication. To demonstrate this type of application, we use the tracker to control the alternative text entry tool Dasher [9].

2 Geometric Features

To define the geometric features used in the classifier, we interpret the range and amplitude data as a particular type of surface, the Monge patch or 2.5-D image, defined as a function $f : \mathbb{R}^2 \rightarrow \mathbb{R}^3, (x, y) \mapsto (x, y, f(x, y))$, where $x$ and $y$ specify a position on the image sensor and $f(x, y)$ is the corresponding range or amplitude value. (In practice, this function is sampled on an equispaced grid.)

We point out that the geometry of the range data patch is not identical to the geometry of the three-dimensional surface that was measured. This is because the Monge patch implies an orthographic projection, whereas the camera lens performs a perspective projection. However, in our application, the orthographic projection is a good approximation because the range variation within the face is small compared its distance from the camera (this is the so-called weak perspective assumption). On this data model, we use a set of curvature measures (originally proposed in [1] and [12]) that provide basic and reliable alternatives to the Gaussian curvature $K$ and the mean curvature $H$ for the purpose of surface classification. We will briefly summarize the derivation.

Let us first recall the definition of Gaussian curvature for a Monge patch:

$$K = \frac{f_{xx}f_{yy} - f_{xy}^2}{(1 + f_x^2 + f_y^2)^2}. \quad (1)$$

In case only the sign of the curvature is relevant, one can rely on the DET-operator $D$, which can be formulated in terms of the determinant of the Hessian and is equal to the numerator of (1). Thus the DET-operator takes the following form:

$$D = f_{xx}f_{yy} - f_{xy}^2 = \det(h_{ij}) = d_1d_2. \quad (2)$$

Here, $d_1$ and $d_2$ denote the eigenvalues of the Hessian. Rearranging the first part of the formula (see [1]) yields

$$D = \frac{1}{4}(f_{xx} + f_{yy})^2 - \frac{1}{4}(f_{xx} - f_{yy})^2 - f_{xy}^2 = (\Delta f)^2 - \epsilon^2, \quad (3)$$

where $\Delta f$ denotes the Laplacian and $\epsilon$ is referred to as the eccentricity, which is defined as

$$\epsilon^2 = \frac{1}{4}(f_{xx} - f_{yy})^2 + f_{xy}^2. \quad (4)$$
The above formulation yields a relationship of the curvature to the Laplacian and the eccentricity. A generalized representation of the operators $\Delta f$ and $\epsilon$ can be achieved in the Fourier domain by defining the generalized eccentricity $\epsilon_n$ via the following filter functions in polar coordinates $\rho$ and $\theta$, where $A(\rho)$ represents the radial filter tuning function:

$$C_n = i^n A(\rho) \cos(n\theta), \quad S_n = i^n A(\rho) \sin(n\theta).$$  \hspace{1cm} (5)

Recall that the transfer functions of partial derivatives are of the form $(i^f_x)^n$ and $(i^f_y)^n$, where $f_x$ and $f_y$ represent the spatial frequencies and $n$ denotes the order of differentiation. Even-order partial derivatives correspond to real transfer functions, whereas odd-order partial derivatives correspond to imaginary transfer functions. The transfer functions in (5) correspond to convolution kernels $c_n(x, y)$ and $s_n(x, y)$ in the image domain. Using these, we obtain the generalized eccentricity

$$\epsilon_n^2 = (c_n(x, y) \ast l(x, y))^2 + (s_n(x, y) \ast l(x, y))^2$$ \hspace{1cm} (6)

for $n = 0, 1, 2, \ldots$, which corresponds to $|\Delta f|$ for $n = 0$ and to the eccentricity $\epsilon$ for $n = 2$, when $A(\rho) = (2\pi\rho)^2$. The modulus of the gradient is defined by $\epsilon_n$ for $n = 1$ and $A(\rho) = 2\pi\rho$. In a purely geometrical interpretation, all measures $\epsilon_n$ are positive, and as a result one cannot distinguish between convex and concave curvature using $\epsilon_0$ and $\epsilon_2$. An extension to this formulation in [1] justifies the use of $\epsilon_0$ with the sign of $\Delta f$, i.e. $\epsilon_0 = -c_0 \ast l$.

For practical applications, the radial filter tuning function $A(\rho)$ can be combined with a low-pass filter, e.g. Gaussian blurring of the form $G(\rho, \sigma) = \exp(-\pi\rho^2/4\sigma^2)$. Ideally, the low-pass filter should be adapted to the distribution of noise inherent in the data.

The measures $\epsilon_n$ for $n = 0$ and $n = 2$ can be used to distinguish between the six well-known surface types in the feature space spanned by $\epsilon_0$ and $\epsilon_2$. Figure 1 shows where the different surface types lie in feature space. Because the nose is a local minimum in the range data, we would expect the corresponding pixels to lie in the region labeled *pit*. Conversely, since the nose tends to be a local maximum in the intensity data, we would expect to find the corresponding pixels in the region labeled *peak*. 

**Figure 1** Discrimination of the six surface types *pit*, *peak*, *saddle*, *valley*, *ridge*, and *planar* within the feature space spanned by $\epsilon_0$ ($\Delta f$) and $\epsilon_2$ ($\epsilon$).
Figure 2   Left: Distribution of feature points for pixels taken from range data of the SR3000 camera projected into the 2D feature space spanned by $\epsilon_0$ ($\Delta f$) and $\epsilon_2$ ($\sigma$). Right: The feature space around the origin at a higher resolution. The black crosses represent feature points corresponding to the nose tip of various subjects and clearly cluster in the region associated with the surface type pit as expected. The grey dots represent randomly chosen non-nose pixels.

3 Nose Detection

To evaluate the potential of using the generalized eccentricity measures $\epsilon_0$ and $\epsilon_2$ to detect noses, we acquired a database of head images from different users with different head poses per user. We then hand-labelled the position of the nose in each image and compared the values of $\epsilon_0$ and $\epsilon_2$ at the labelled locations with the values at other, non-nose locations.

Figure 2 shows the results of this comparison; it plots the values of $\epsilon_0$ and $\epsilon_2$ on the range data. The values obtained at the labelled nose locations are plotted using black crosses, and the values at randomly chosen non-nose (and non-background) locations are plotted using gray dots.

As expected, the nose pixels cluster together in the pit region. Most of the non-nose pixels are fairly close to the origin (which corresponds to 0D, i.e. locally constant structures); most of the remaining pixels cluster around the diagonals (1D structures) with only a few pixels in the remaining regions (2D structures).

The results for the amplitude data are not shown because they are qualitatively similar, the main difference being that the nose pixels cluster together in the peak region; again, as expected.

The radial filter tuning function was set to $A(\rho) = (2\pi\rho)^2 \cdot \exp(-\pi \rho^2 / (4\sigma^2))$ with $\sigma = 0.3$ for all feature computations. We expect that filter optimization will further improve the results.

Based on these results, we implemented a simple nose detector as follows: The radial structure of the feature space (see Figure 1) suggests that polar coordinates are a natural representation for points in the space. Therefore, we perform a conversion to polar coordinates $r$ (radius) and $\phi$ (angle). We collect the feature values into a feature vector $F = (F_1, \ldots, F_m)$, which contains the values of $r$ and $\phi$ for the range and/or amplitude data, depending on which data we want to use for the classification. We then estimate the boundaries $F_{\min}$ and $F_{\max}$ of a bounding box enclosing the “nose” region in feature space. A pixel is classified as “nose” if $F_{\min,j} < F_j < F_{\max,j}$ for all $j = 1, \ldots, m$ and “non-nose” otherwise.

The values for $F_{\min}$ and $F_{\max}$ are determined by taking a set of training images with hand-labelled nose locations and then choosing the bounding box that contains all of the training samples in feature space. The trade-off between detection rate and
false positive rate can be controlled by scaling the box around its centre; we obtain the new bounding box limits

\[ \hat{F}_{\text{min}} = F_{\text{centre}} - \alpha F_{\text{halfwidth}}, \quad \hat{F}_{\text{max}} = F_{\text{centre}} + \alpha F_{\text{halfwidth}}, \]

where \( F_{\text{centre}} = \frac{F_{\text{min}} + F_{\text{max}}}{2} \) and \( F_{\text{halfwidth}} = \frac{F_{\text{max}} - F_{\text{min}}}{2} \). We call \( \alpha \) the “softness” parameter.

To avoid misclassifications in regions with low intensity and, thus, low measurement confidence, we used Otsu's method [7] to compute a threshold on the amplitude data and separate the foreground from the background. The background was set to a fixed value in both the range and the amplitude data. This is obviously a very simple classifier, but despite its simplicity it yields very robust results, as we will show in Section 5.

4 Nose Tracking

To track the nose and use it to control the position of the mouse pointer, we need to choose one of the potentially several nose locations that were detected, and we need to translate this nose location into a mouse cursor position.

First, we find all of the connected components in the image; each connected component yields one candidate location for the position of the nose, which we determine as follows: We first find the pixel whose feature vector is closest to the centre of the bounding box, i.e. for which \( \| F - F_{\text{centre}} \|_2 \) is minimal. We then refine this location with subpixel precision by taking a small window around the candidate location and computing a weighted centroid of the pixels in the window, where the weight of a pixel depends on the distance of its feature vector to \( F_{\text{centre}} \); specifically, the weight function is a Gaussian centred on \( F_{\text{centre}} \).

Since the raw results delivered by the nose detector are already quite good (see Section 5), most camera frames contain only a single connected component and thus a single candidate location, placed correctly on the nose. If the current frame contains more than one candidate location, we choose the candidate that is closest to the position of the nose in the previous frame. For the very first frame, or if no nose was found in the previous frame, we simply choose one of the candidates arbitrarily. Even if we choose the wrong candidate, it is quite likely that the next frame will not contain any misdetections, and from that point on, we will be tracking the correct position. This is a simple strategy for eliminating misdetections, but it works quite well in practice.

Once the position of the nose has been identified, we need to convert it into a position on the screen. We define a rectangular “active region” in the camera image, sized so that when the user rotates his or her head, they are able to place their nose anywhere within this region. We then convert the nose position to a mouse cursor position by defining a mapping from camera image coordinates to screen coordinates such that the borders of the active region are mapped to the borders of the screen (see Figure 3a). The mapping has to flip the horizontal axis (for clarity, this is not shown in the figure) because a head movement to the left causes the position of the nose in the camera image to move to the right.

Two questions remain to be solved: Where in the image should we place the active region? And what should be done if the user’s seating position changes such that
the nose leaves the active region? We solve these problems using an implicit calibration procedure that continually adjusts the position of the active region. For example, if the nose moves beyond the left border of the active region, we shift the active region to the left until the nose is just inside the active region again (see Figure 3b). Effectively, users “drag” the active region along as they change their seating position. This procedure works equally well for setting the initial position of the active region: A quick rotation of the head left, right, up, and down is sufficient to put the active region in a suitable position. If desired, the size and initial position of the active region could also be determined during an explicit calibration phase.

5 Results

The algorithms were implemented in GNU C++ and run on a 2.8 GHz Pentium 4 under Linux 2.6. The FFTW library [2] was used for the FFT transforms needed to calculate the generalized eccentricity measures. Images were acquired using a MESA SR3000 camera [5], which has a resolution of 176 by 144 pixels. To evaluate the error rate of the nose detector, we first tested it on a set of static images, consisting of images from 13 subjects, with nine head orientations per subject. The position of the nose was hand-labelled in each image. The data from three subjects was used to estimate the bounding box for the nose detector, which was then tested on the remaining ten subjects. We calculated the detection rate as the percentage of images in which the nose was identified correctly (to within
five pixels distance from the hand-labelled position) and the false positive rate as the percentage of images where at least one non-nose pixel was falsely classified as “nose”. We adjusted the softness parameter until the false negative rate (one minus the detection rate) and the false positive rate were equal, thus obtaining an equal error rate (EER). When nose detection was performed on the range and amplitude data individually, we obtained EERs of 0.64 and 0.42, respectively. When nose detection was performed on the combination of both types of data, we obtained an EER of 0.03 (see [4] for details). Figure 4 shows some examples of detection results. The softness parameter that corresponded to the EER was chosen to set the bounding box for the nose tracker. On the combined range and amplitude data, the tracker ran at a rate of 27 frames per second. This is adequate for the frame rate we run the camera at but could be improved further (for example, we currently use a complex-to-complex FFT for simplicity of implementation, which could be replaced with a real-to-complex FFT). A video showing the nose tracker in action is available on the web at http://www.inb.uni-luebeck.de/~boehme/nosetrack_demo.mp4.

To evaluate the usefulness of the nose tracker for interaction tasks, we used it to control the alternative text input tool Dasher [9]. Dasher can be controlled using a variety of pointing devices, which are used to “steer” towards the letters to be input. A test subject using the nose tracker with Dasher to input text from an English language novel achieved 12 words per minute (wpm). For comparison, the rate that can be achieved using an eye tracker is between 15 and 25 wpm [9].

6 Conclusions

We have demonstrated how a very simple classifier based on geometric features can be used to detect a user’s nose robustly in combined range and amplitude data obtained using a 3D TOF camera. A particularly interesting result is that markedly better results were obtained on the combination of range and amplitude data than on either type of data alone.

Based on this classifier, we implemented a real-time nose tracker. To demonstrate the usefulness of this tracker for human-computer interaction, we have shown that
it can be used effectively to control the alternative text entry tool Dasher.

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References and Notes


